

A Bayesian analysis of invasive treatment strategies for elderly patients with acute coronary syndromes

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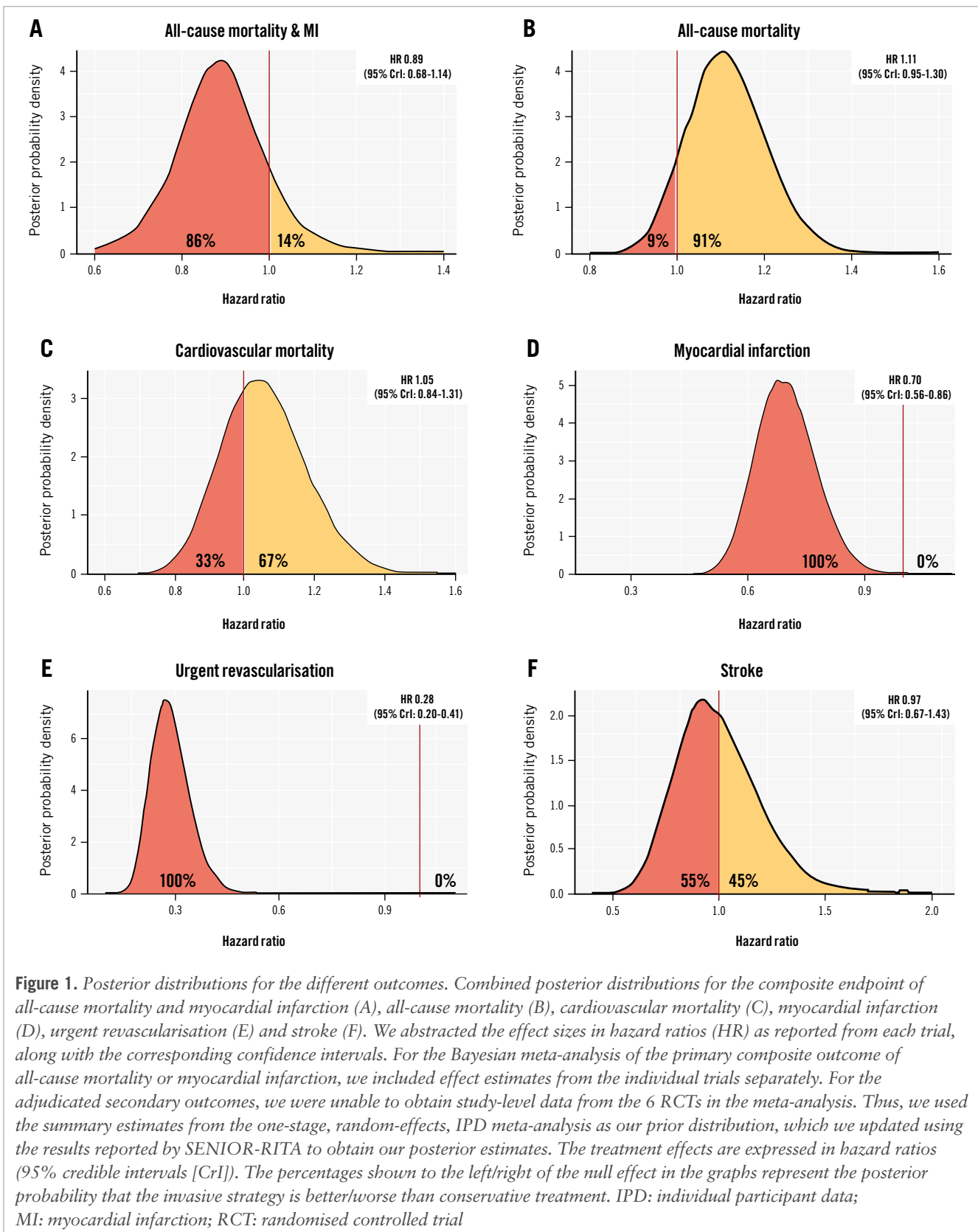
This paper also includes supplementary data published online at: <https://eurointervention.pronline.com/doi/10.4244/EIJ-D-25-00147>

Until recently, only small-scale randomised controlled trials (RCTs) had evaluated the impact of invasive approaches in elderly patients with acute coronary syndromes (ACS). To address the inherent limitations of these smaller trials, a comprehensive individual participant data (IPD) meta-analysis was conducted¹. Following this meta-analysis, the SENIOR-RITA trial², with a sample size comparable to the total sample of the IPD meta-analysis¹ was published. This RCT² found no evidence that an invasive strategy reduces cardiovascular death or non-fatal myocardial infarction (MI) compared to a conservative approach in older patients with non-ST-segment elevation myocardial infarction. Here, we employ this large RCT² to update the meta-analysis¹ within a Bayesian framework, providing a probabilistic perspective on the interpretation of the estimated effects.

We considered the comprehensive IPD meta-analysis of 6 small-scale RCTs (sample sizes ranging from 106-457, with a total number of 1,479 individuals) evaluating the impact of percutaneous coronary intervention (PCI) in elderly ACS patients¹. The recently published SENIOR-RITA trial² included 1,518 patients ≥ 75 years old with ACS. Patients in all these trials were randomised to an invasive strategy with coronary angiography and revascularisation or guideline-driven medical therapy. We used a Bayesian random-effects meta-analysis to obtain the posterior distribution of the hazard ratios (HR) with a minimally informative prior for the treatment effect (i.e., $N(0,10^2)$) and a vague prior for the standard deviation of random effects, i.e., the positive part of a standard normal distribution $N(0,1)T(0,.)$. We fitted the model via Markov Chain Monte Carlo using 6 chains, 10,000 iterations each, after an initial adaptation of 500 iterations.

We checked convergence by visually checking the posterior distribution and the mixing of the chains, and via R-hat. We performed a series of sensitivity analyses, using different priors for the treatment effects and heterogeneity parameter. All analyses were performed in R software (R Foundation for Statistical Computing).

For the primary composite outcome of all-cause mortality or MI, we found weak evidence of superiority of the invasive strategy compared to the conservative treatment. The estimated effect size was HR 0.89 (95% credible interval [CrI]: 0.68-1.14) and was similar to the one from the IPD meta-analysis. The probability that the invasive strategy is better than the conservative one (corresponding to HR <1) was estimated at 86% (**Figure 1A**). Detailed results are provided in **Supplementary Appendix 1**. For the individual outcomes of all-cause and cardiovascular mortality, we found weak evidence that an invasive strategy may be detrimental, with posterior probabilities of 91% and 67%, respectively, in favour of the conservative approach (**Figure 1B**, **Figure 1C**), similar to the findings from the SENIOR-RITA trial. Conversely, we found strong evidence that an invasive strategy reduces the hazard of MI (HR 0.70 [95% CrI: 0.56-0.86]) compared to a conservative approach, and there was almost certainty (posterior probability ~100%) that the true HR is <1 (**Figure 1D**). For urgent revascularisation, we found very strong evidence of a beneficial effect of an invasive strategy (HR 0.28 [95% CrI: 0.20-0.41]), with ~100% probability that the invasive approach is better (**Figure 1E**). However, for stroke we found no evidence for a difference between the treatment strategies (HR 0.97 [95% CrI: 0.67-1.43]), with a 55% posterior probability that invasive is better.



Overall, the inclusion of the large RCT² in the meta-analysis did not change the direction of the effects for most outcomes but considerably increased the precision of the estimates. The probabilistic interpretation facilitates a nuanced understanding

of the treatment effects and allows for quantitative statements that are easy to understand, thus enhancing the decision-making process. This is especially pertinent for patients who are at risk of multiple clinical outcomes. In this context, non-mortality

outcomes may be more relevant, as all-cause mortality lacks sensitivity and specificity for assessing interventions, especially in elderly ACS patients^{3,4}. Here, the increase in life expectancy among elderly patients in recent years should be factored into treatment decisions for those with ACS. However, decision-making remains complex due to comorbidities and frailty in this population. As a result, shared decision-making is crucial to ensure that interventions align with the patient's values, preferences, health status, and overall goals for quality of life^{5,6}. Unfortunately, the type of data that was available from the studies (aggregated data) and the absence of quality-of-life metrics prevented us from evaluating the impact of either strategy on quality of life, which may be more relevant for this patient group.

The present analysis illustrates how accumulated evidence can be interpreted within a Bayesian framework and provides insights into the potential benefits and risks of invasive procedures for a specific group of patients, which healthcare providers can share with patients and their families to support informed decision-making. As a direction for future research, in such scenarios involving treatments with varying effectiveness-safety trade-offs, combining patient-level data from multiple studies using dedicated statistical methods may allow accurate predictions of intervention effects at the patient level. This approach may empower practitioners to make better-informed decisions and help patients receive treatments that are most aligned with their individual characteristics, preferences, and needs.

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Conflict of interest statement

The authors have no conflicts of interest relevant to the contents of this paper to declare.

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Supplementary data

Supplementary Appendix 1. Complete dataset, statistical code, and key information related to the Bayesian analyses.

The supplementary data are published online at:
<https://eurointervention.pcronline.com/doi/10.4244/EIJ-D-25-00147>



Supplementary data

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Contents

1	Composite outcome all-cause mortality and myocardial infarction.....	2
1.1	Frequentist meta-analysis.....	2
1.2	Bayesian meta-analyses	2
1.2.1	Fixed effect meta-analysis	2
1.2.2	Random effects meta-analysis.....	3
2	All-cause mortality	8
2.1	Frequentist meta-analysis	8
2.2	Bayesian analysis.....	8
3	Cardiovascular mortality	9
3.1	Frequentist meta-analysis.....	9
3.2	Bayesian analysis.....	9
4	Myocardial Infarction	10
4.1	Frequentist meta-analysis.....	10
4.2	Bayesian analysis.....	10
5	Urgent revascularization.....	11
5.1	Frequentist meta-analysis.....	11
5.2	Bayesian analysis.....	11
6	Stroke	12
6.1	Frequentist meta-analysis.....	12
6.2	Bayesian analysis.....	12
7	Additional results	13
8	Data sharing statement.....	14

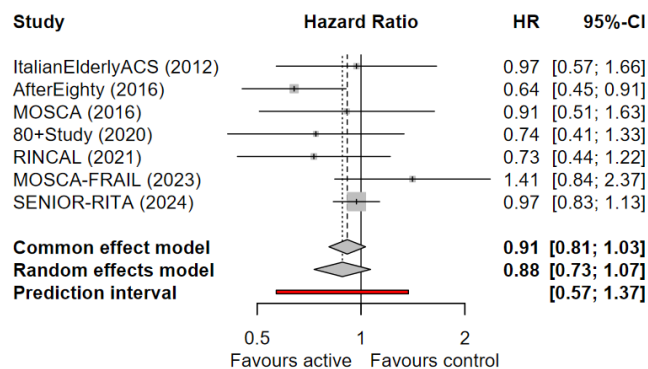
1 Composite outcome all-cause mortality and myocardial infarction

Below we provide the data extracted from the individual studies. These are the ones included in an IPD meta-analysis¹ and the SENIOR_RITA trial.² This shows the hazard ratio (HR), and lower and upper 95% Confidence Intervals of the treatment effect

Study	year	hr	lci	uci
2	ItalianElderlyACS	2012	0.97	0.57 1.66
3	AfterEighty	2016	0.64	0.45 0.90
4	MOSCA	2016	0.91	0.51 1.64
5	80+Study	2020	0.74	0.41 1.33
6	RINCAL	2021	0.73	0.44 1.22
7	MOSCA-FRAIL	2023	1.41	0.84 2.37
8	SENIOR-RITA	2024	0.97	0.83 1.13

1.1 Frequentist meta-analysis

We perform a pairwise meta-analysis using the meta package in R.⁷



Heterogeneity: $I^2 = 30\%$, $\tau^2 = 0.0202$, $p = 0.20$

1.2 Bayesian meta-analyses

1.2.1 Fixed effect meta-analysis

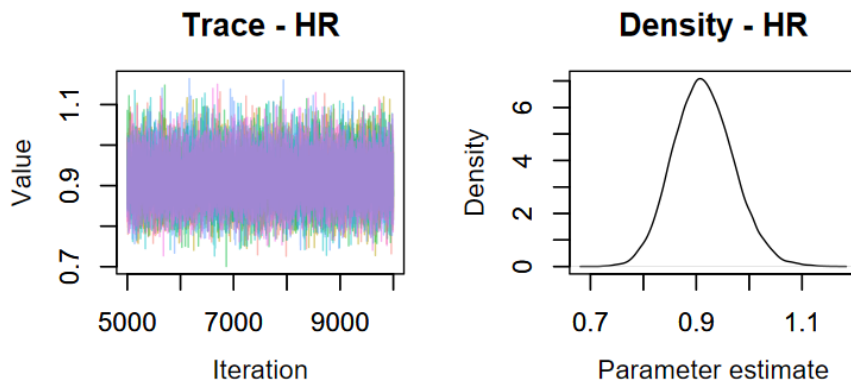
We repeated the analysis, this time using a Bayesian fixed-effect model.

$$y_i \sim N(Y, s_i^2)$$

$$Y \sim N(0, 10^2)$$

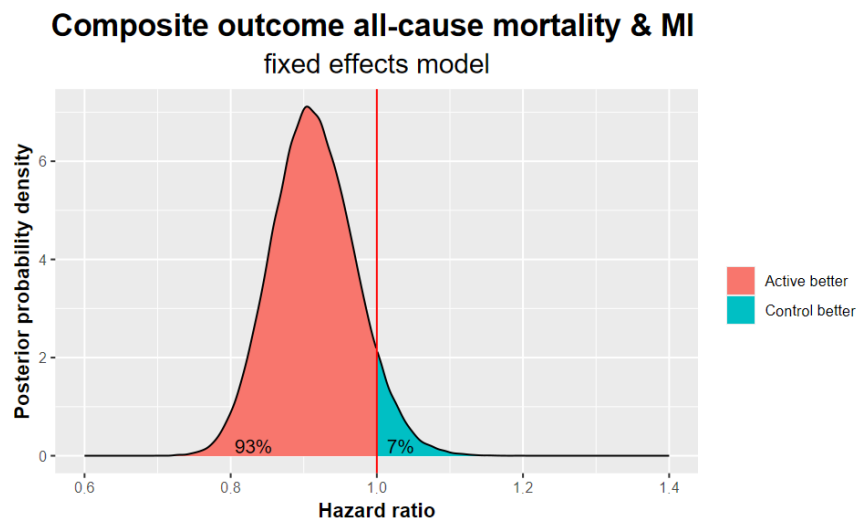
In the above, y_i denotes the observed treatment effect (log-hazard ratio) observed in study i and s_i^2 the corresponding variance. We fit the model via MCMC using R2jags in R.⁸ For the treatment effect we used an uninformative prior $N(0, 100)$. We used 6 chains, 10,000 iterations each, after an initial adaptation of 500 iterations. The posterior estimate HR= 0.91 [95% Credible Interval 0.81; 1.03], i.e. exactly matching the results from the frequentist analysis.

We ensured convergence by visually checking the posterior distribution and by checking the mixing of the chains. We also checked R-hat, which was found to be equal to 1, suggesting convergence. The effective sample size (ESS) for the HR was 59348.



We calculated the posterior probability that the active is better than control as the percent of MCMC iterations where $HR > 1$. This was found to be 93.1%.

Below we show a plot of the posterior distribution.



In sensitivity analyses we used different, weakly informative prior distributions for the treatment effect, i.e., $Y \sim N(0, \sigma^2 = 10)$ and $Y \sim N(0, \sigma^2 = 1)$. Results were not materially different.

1.2.2 Random effects meta-analysis

We repeated the analysis using a random effects model.

$$y_i \sim N(u_i, s_i^2)$$

$$u_i \sim N(\mu, \tau^2)$$

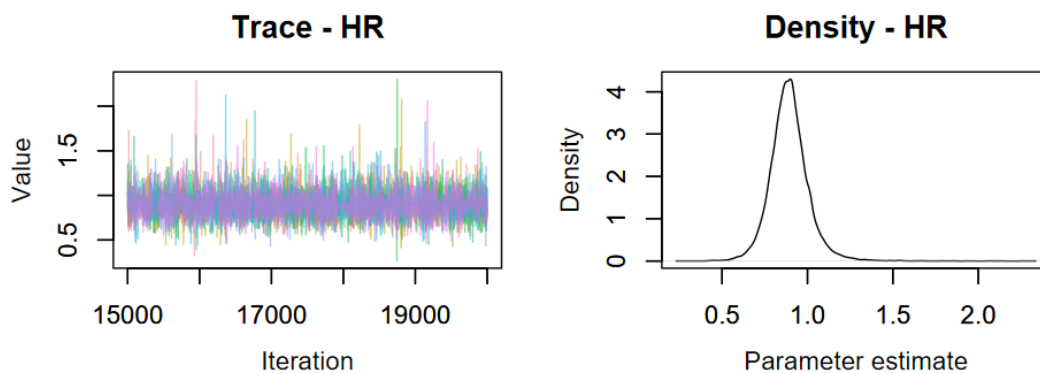
$$Y \sim N(0, 10^2)$$

$$\tau \sim N(0, 1)I(0, \infty)$$

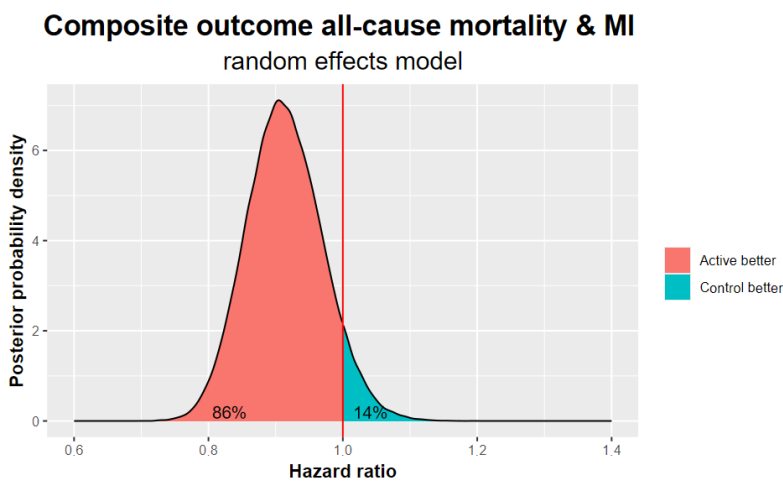
Here we used a truncated standard normal distribution for the standard deviation of random effects on the log-HR scale (“heterogeneity”). We fit the model using again 6 chains, 10,000 iterations after 500 iterations for adaptation.

The posterior estimate for HR was 0.89 [0.68; 1.14]. Heterogeneity was estimated at $\tau=0.18$ [0.01; 0.58], with $\tau^2= 0.033$ [0.0001; 0.3360].

Below we show the plots for the assessment of convergence. R-hat was below 1.01 for all parameters. The ESS was 17,425 for the HR and 2,710 for τ . Increasing the number to iterations to 30,000 per chain did not lead to materially different results.



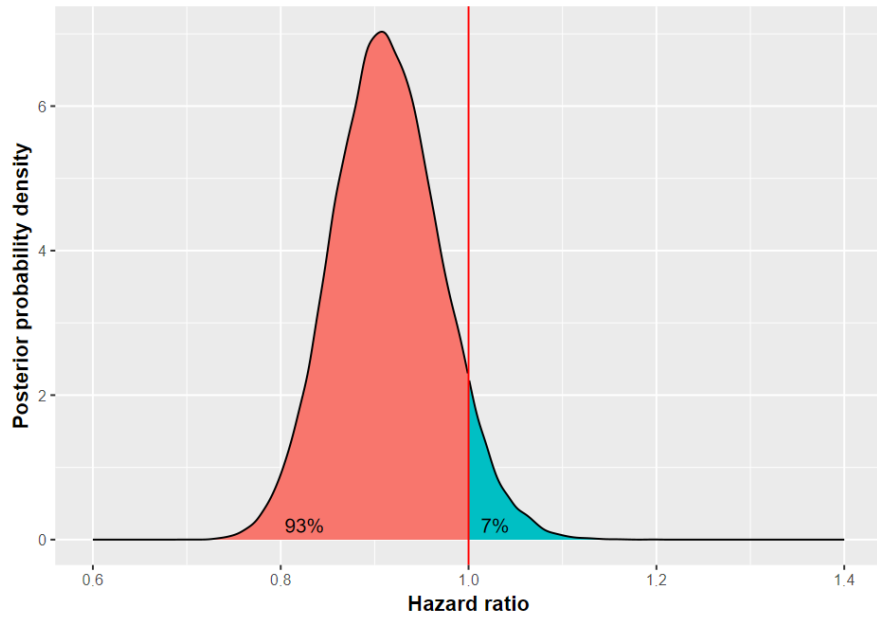
Posterior probability that the active is better than control was estimated at 86.2%.



Below we combine the two graphs for fixed and random effects meta-analysis.

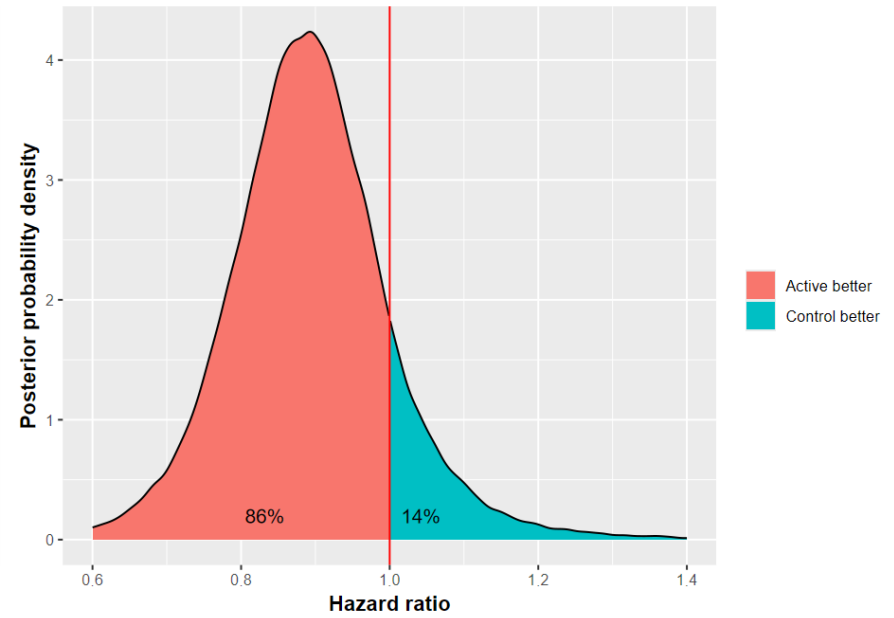
Composite outcome all-cause mortality & MI

random effects model



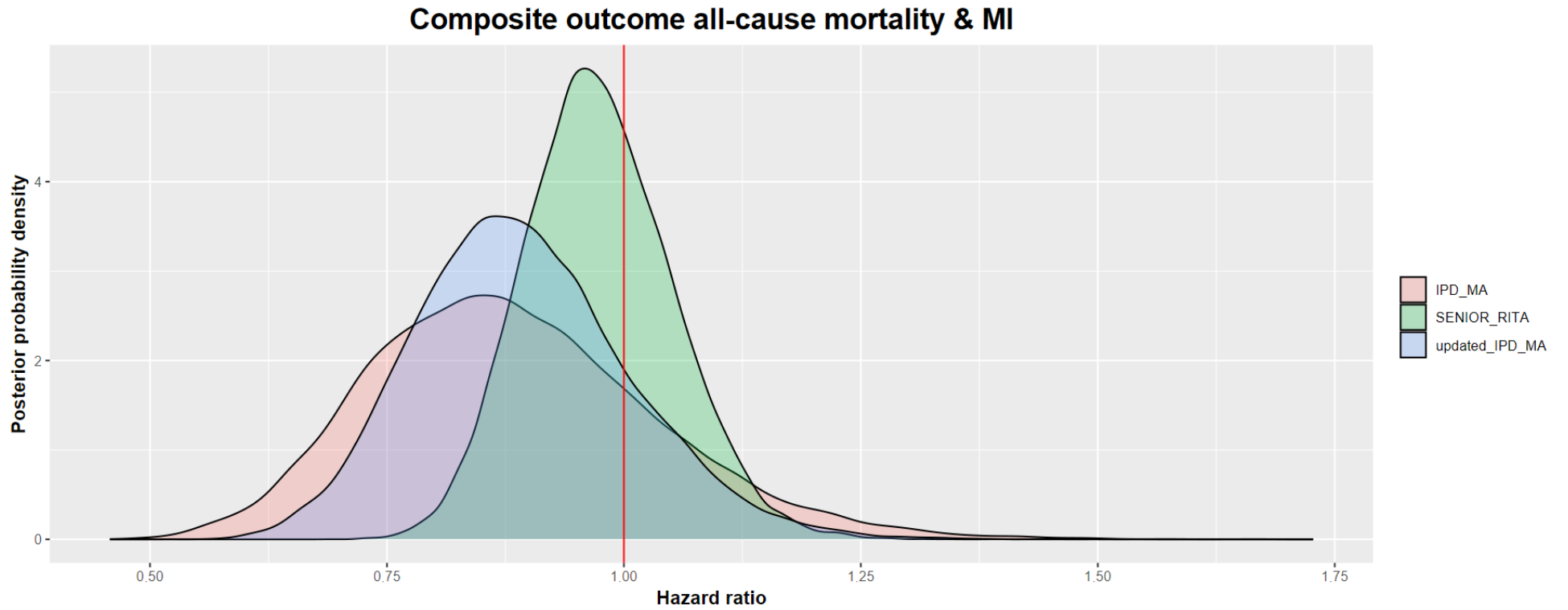
Composite outcome all-cause mortality & MI

random effects model



Active better
Control better

Finally, we create a figure summarizing the information on the treatment effect as estimated from 3 sources: 1) the IPD-MA result (i.e. including all studies except SENIOR_RITA) 2) the result from SENIOR_RITA; 3) the published result from the combined, random effects meta-analysis from all studies.



In sensitivity analyses we used a different prior for heterogeneity (a weakly informative half Cauchy distribution with center 0 and scale 2.5, recommended by Gellman et al.⁹) and a weakly informative prior for the treatment effect, $Y \sim N(0, 10^2)$. Results were not materially affected.

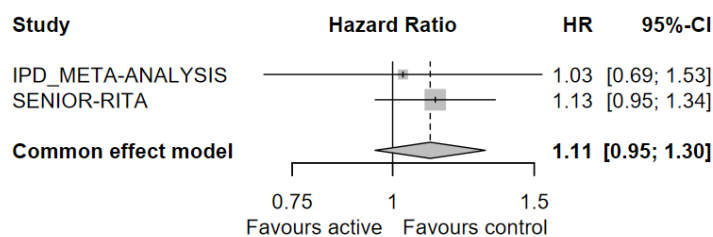
2 All-cause mortality

For this outcome we were not able to extract information on the treatment effect from the individual studies. We thus jointly analysed the published results from the IPD meta-analysis¹ and the SENIOR_RITA trial.² Here is the data we used:

Study	hr	lci	uci
10 IPD_META-ANALYSIS	1.03	0.69	1.53
17 SENIOR-RITA	1.13	0.95	1.34

2.1 Frequentist meta-analysis

We first performed a meta-analysis of the two sources of evidence, using a fixed effect model.



Heterogeneity: $I^2 = 0\%$, $\tau^2 = 0$, $p = 0.68$

2.2 Bayesian analysis

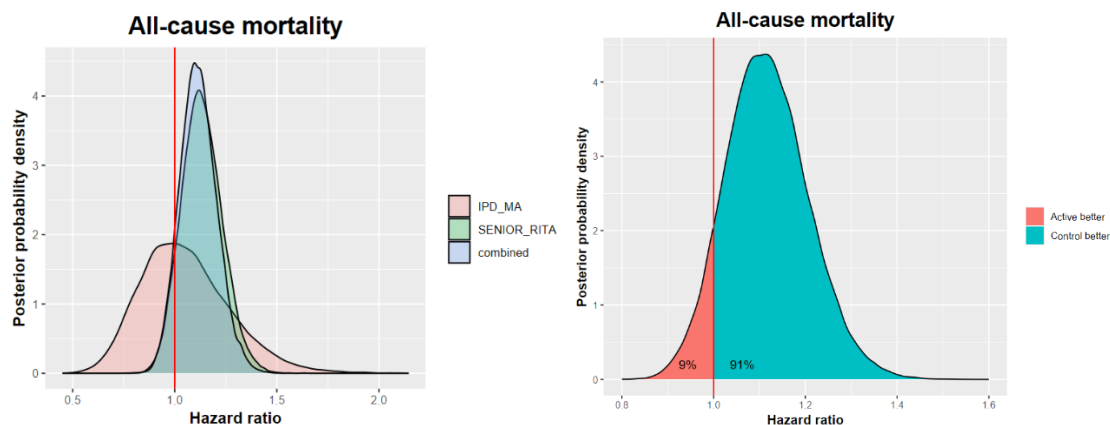
We analysed the data using the IPD results as prior distribution and update it using SENIOR-RITA results. The model is the following:

$$Y_{SENIOR_RITA} \sim N(Y, S_{SENIOR_RITA}^2)$$

$$Y \sim N(Y_{IPDMA}, S_{IPDMA}^2)$$

We followed the same fitting procedures as for the primary outcome (convergence was evident in results; metrics not shown).

The posterior estimate for HR was 1.11 [0.95; 1.30]. There was a 90.8% probability that HR > 1.

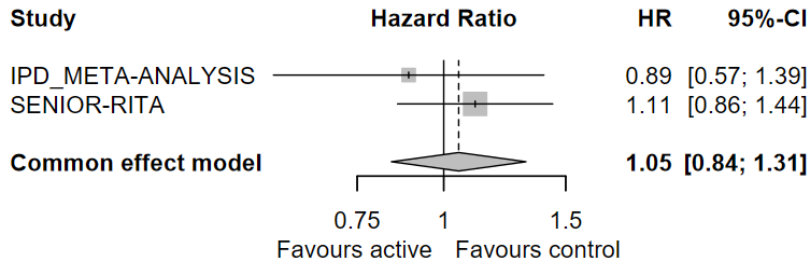


3 Cardiovascular mortality

We repeated the same analyses as for all-cause mortality.

Study	hr	lci	uci
19 IPD_META-ANALYSIS	0.89	0.57	1.40
26 SENIOR-RITA	1.11	0.86	1.44

3.1 Frequentist meta-analysis

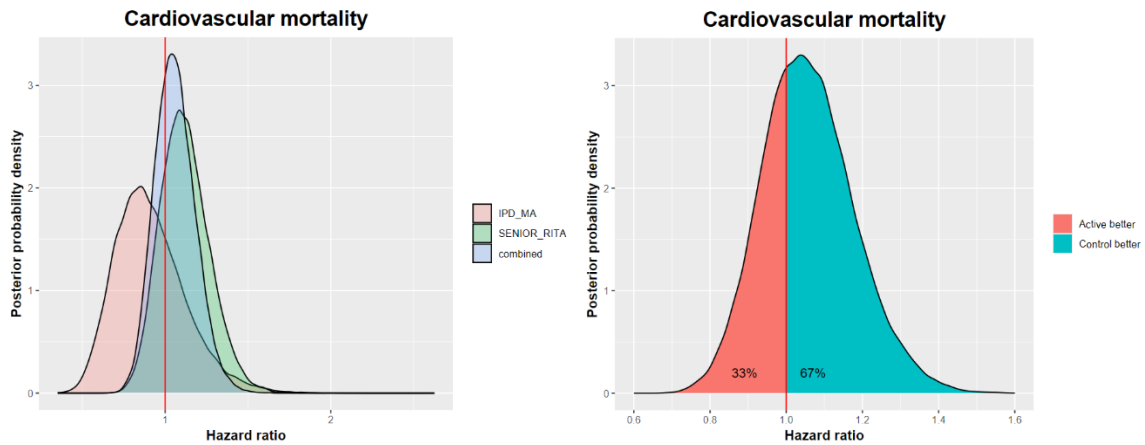


Heterogeneity: $I^2 = 0\%$, $\tau^2 = 0$, $p = 0.40$

3.2 Bayesian analysis

We use the IPD results as prior and update it using SENIOR-RITA results, as per the all-cause mortality outcome. We followed the same fitting procedures as for the primary outcome (convergence was evident in results; metrics not shown).

The posterior estimate for HR was 1.05 [0.84; 1.31]. There was a 66.6% probability that HR>1.

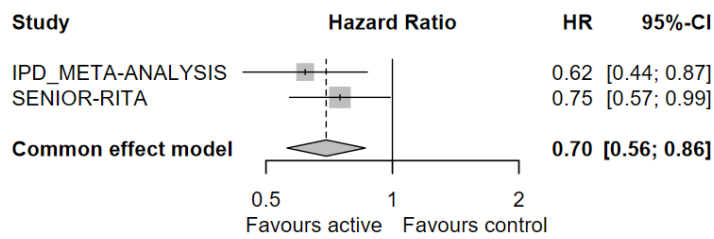


4 Myocardial Infarction

We repeated the same analyses as for all-cause mortality.

Study	hr	lci	uci
28 IPD_META-ANALYSIS	0.62	0.44	0.87
35 SENIOR-RITA	0.75	0.57	0.99

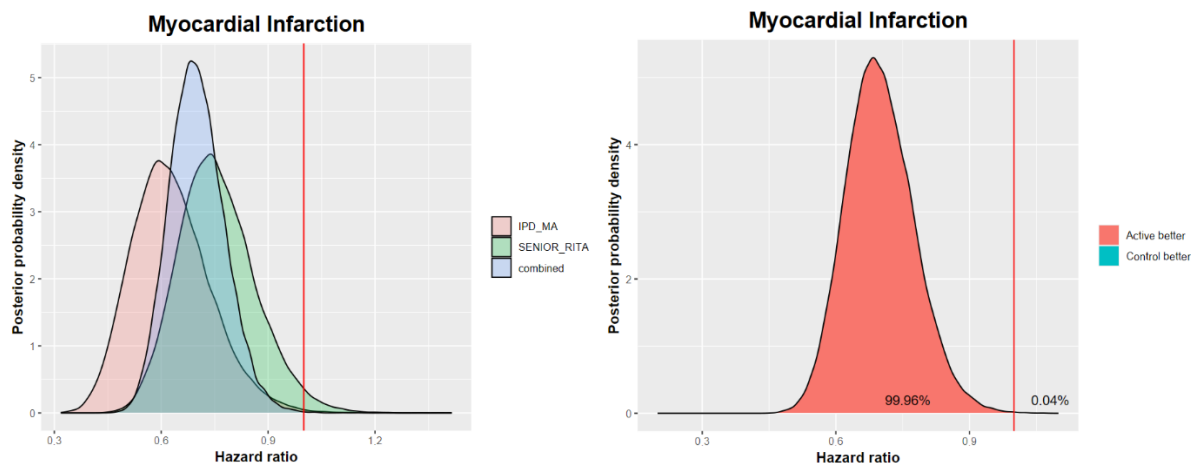
4.1 Frequentist meta-analysis



4.2 Bayesian analysis

We use the IPD results as prior, and update it using SENIOR-RITA results.

The posterior estimate for HR was 0.70 [0.56; 0.86]. There was a 99.96% probability that HR<1.

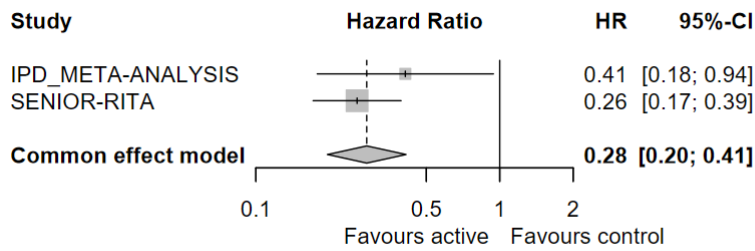


5 Urgent revascularization

We repeated the same analyses as for all-cause mortality.

Study	hr	lci	uci
37 IPD_META-ANALYSIS	0.41	0.18	0.95
44 SENIOR-RITA	0.26	0.17	0.39

5.1 Frequentist meta-analysis

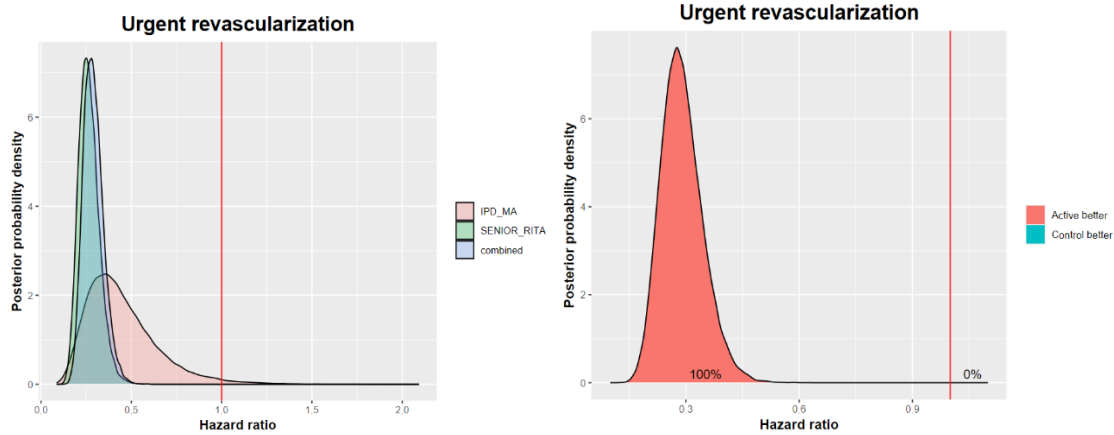


Heterogeneity: $I^2 = 0\%$, $\tau^2 = 0$, $p = 0.34$

5.2 Bayesian analysis

We use the IPD results as prior and update it using SENIOR-RITA results, as per the all-cause mortality outcome. We followed the same fitting procedures as for the primary outcome (convergence was evident in results; metrics not shown).

The posterior estimate for HR was 0.28 [0.20; 0.41]. There was a 100% probability that $HR < 1$.

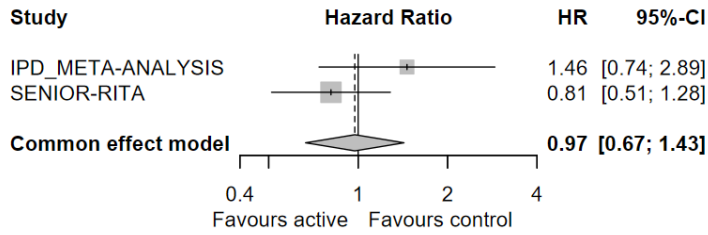


6 Stroke

We repeated the same analyses as for all-cause mortality.

Study	hr	lci	uci
46 IPD_META-ANALYSIS	1.46	0.74	2.89
53 SENIOR-RITA	0.81	0.51	1.28

6.1 Frequentist meta-analysis

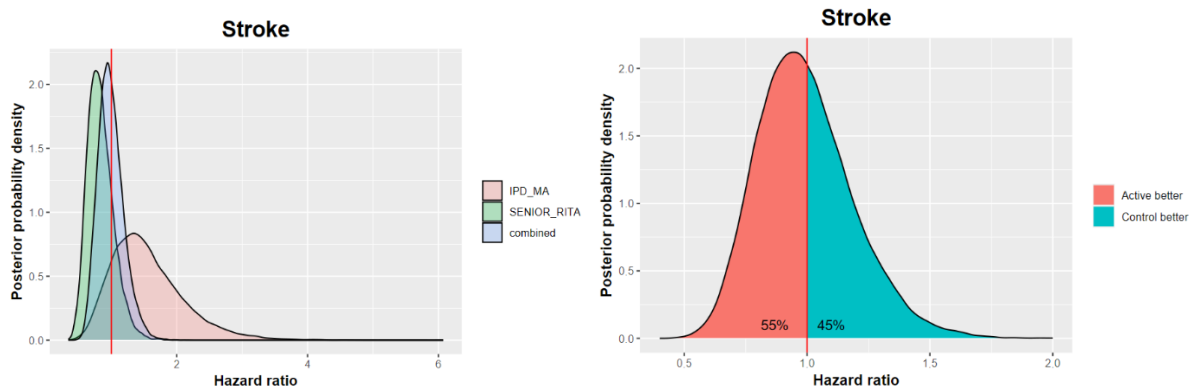


Heterogeneity: $I^2 = 49\%$, $\tau^2 = 0.0856$, $p = 0.16$

6.2 Bayesian analysis

We use the IPD results as prior and update it using SENIOR-RITA results, as per the all-cause mortality outcome. We followed the same fitting procedures as for the primary outcome (convergence was evident in results; metrics not shown).

The posterior estimate for HR was 0.97 [0.67; 1.43]. There was a 45% probability that HR>1.



7 Additional results

Aiming to enhance the utility and clinical relevance of our findings, below we show the posterior probabilities that the HR is lower or greater than a series of values. For the composite outcome, the estimation was made using the random effects meta-analysis model. $HR < 1$ favors invasive treatments.

Posterior probabilities that the invasive treatment is **beneficial**:

Outcome	P(HR<1)	P(HR<0.975)	P(HR<0.95)	P(HR<0.90)
Composite outcome all cause mortality and MI	86%	81%	73%	54%
All-cause mortality	9%	5%	2%	0%
Cardiovascular mortality	33%	26%	19%	9%
MI	100%	100%	100%	99%
Urgent revascularization	100%	100%	100%	100%
Stroke	55%	50%	45%	34%

***Smaller HRs correspond to larger benefit of invasive treatment**

Posterior probabilities that the invasive treatment is **detrimental**:

Outcome	P(HR>1)	P(HR>1.025)	P(HR>1.05)	P(HR>1.10)
Composite outcome all cause mortality and MI	14%	10%	7%	4%
All-cause mortality	91%	85%	77%	56%
Cardiovascular mortality	67%	59%	50%	34%
MI	0%	0%	0%	0%
Urgent revascularization	0%	0%	0%	0%
Stroke	45%	40%	35%	27%

***Larger HRs correspond to larger harm of invasive treatment**

Explanation examples:

-there is 54% that invasive treatment reduces the hazard of the composite outcome by 10% or more i.e. probability of $HR < 0.90$ is 0.54).

-there is 77% that invasive treatment increases the hazard of all-cause mortality by 5% or more (i.e. probability of $HR > 1.05$ is 0.77).

8 Data sharing statement

In the following link we provide the complete dataset, statistical code, and key information related to the Bayesian analyses presented in this article for unrestricted use:

https://github.com/oremiou/ACS_elderly